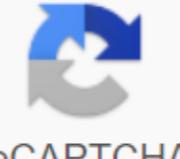


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Area of regular polygons practice worksheet

On this worksheet, we find areas of regular polygon due to their lateral length using a workout formula. This area and work sheet environment will not produce problems to solve the area and environment of different types of regular polygons. You may choose from the Pentagons, hexagons, heptagons, octagons, non-dragons, decagons, handagons, and dodakagons. This worksheet is a great resource for grades 5, 6, seventh grade, and eighth grade. Click here if you like the area and environment formula guide for your students. Click here for more area and problem sheet environment 1:Find triangle area equal to side length of 4 inches. Problem 2: Find the pentagon area regularly shown below. Problem 3: The Pentagon is regularly written in a circle with a radius of 1 unit. find the pentagon area . Problem 4: Find the regular hexagonal area shown below. Problem 5: Find the resulting polygon area as shown below. Problem 6 :. The enclosure on the ground beneath the Foucault pendulum at the Houston Museum of Natural Sciences in Houston, Texas, is a typical side-length dudagon of about 4.3 feet and a radius of about 8.3 feet. What's the floor area? The exact answer to the problem is key 1: find the area of the equivalence triangle with a lateral length of 4 inches. Solution: The formula for the area of the triangle is given by $A = \sqrt{3}/4$ by s^2 Plug $s = 4A = \sqrt{3}/4$ in 42Simplify. $A = \sqrt{3}/4 \cdot 16A = \sqrt{3} \cdot 4A = 4\sqrt{3}$ Hence, the area of the triangle is $4\sqrt{3}$ square inches. Problem 2: Find the pentagon area regularly shown below. Solution: To find the area of each regular polygon, we need to know the length of the apothem and the environment. In the aforementioned regular Pentagon, Apothem = 15 unitsPentagon has 5 sides. Therefore, the environment P = lateral length is none. SidesP = 18 - 5P = 90 unitsThe formula for n-astragalus area is given by $A = 1/2 \cdot \text{apothem} \cdot \text{environment}$. $A = 1/2 \cdot 15 \cdot 90$ Simplify. $A = 675$ Hence, the pentagon's regular area is 675 square units. Problem 3: The Pentagon is regularly written in a circle with a radius of 1 unit. find the pentagon area . Solution: Draw a layout. To apply formulas for the Pentagon area regularly, we need to find apothem and its environment. Measuring the center $\angle ABC = 1/5 \cdot 360 = 72^\circ$ let us consider the triangle isosceles ΔABC in the pentagon above regularly. Height to ac base also bisects $\angle ABC$ and AC side. $\angle DBC$, then, 36 degrees. In the right ΔDBC , we can use trigonometric ratios to find the length of the legs. $\cos 36^\circ = BD/BC$ $\cos 36^\circ = BD/1$ $\cos 36^\circ = BD \sin 36^\circ = DC/BC$ $\sin 36^\circ = DC/1$ $\sin 36^\circ = DC$ So, The Pentagon has apothem of $a = BD = \cos 36^\circ$ and environment $P = 5 (AC)P = 5(2 - DC)P = 10(DC)P = 10 - \sin 36^\circ$ Pentagon area is $A = 1/2 \cdot \text{apothem} \cdot \text{polygonSubstitute environment}$. $A = 1/2 \cdot \cos 36^\circ \cdot 10 \cdot 36^\circ$ Simplify. $A = 5$ Solutions: Applying formulas for regular hexagonal area, we need to know apothem and environment. Apothem has already been given and we have to find the lateral length (ED) of the polygon to find its environment. Let us consider the triangle of ΔGED isosceles in the pentagon above regularly. Because ΔGED is isosceles, the altitude GH to base ED bisects the side ED. On the right side of ΔEGH , we can use the Pythagorean theory to find the length of EH. $EH^2 + GH^2 = EG^2$ Substitute. $EH^2 + (10/3)^2 = 20^2$ Subtract 300 from each side. $EH = 10\sqrt{3}$ Take square root on each side. $EH = 10\sqrt{3}$, hexagon with environment $P = 6(ED)P = 6(2 - EH)P = 6(2 - 10\sqrt{3})P = 6(20)P = 120$ The area of the hexagon is $A = 1/2 A = 1/2 \cdot 10\sqrt{3} \cdot 120$ Simplify. $A = 600\sqrt{3}$ square unitsPromb 5: Find the regularly written polygon area shown below. Solution: To apply formulas for regular polygon area, we need to know apothem and environment. Apothem has already been given and we have to find the lateral length (CB) of the triangle to find its environment. Because ΔABC equals (regular polygon), DE bisects the CB side. On the right side of ΔDEB , we can use Theorem Pythagorean to find the length of the EB. $EB^2 + DE^2 = DB^2$ Substitute. $EB^2 + 6^2 = 12^2$ Subtract 36 from each side. $EB = 10\sqrt{3}$ Take square root on each side. $EB = 10\sqrt{3}$ Simplify. $EB = 6\sqrt{3}$ So, Triangle with environment $P = 3(CB)P = 3(2 - EB)P = 3(2 - 6\sqrt{3})P = 36\sqrt{3}$ The area of the triangle is $A = 1/2 A = 1/2 \cdot 6 \cdot 36\sqrt{3}$ Simplify. $A = 108\sqrt{3}$ square unitsPromb 6: The enclosure on the ground beneath the Foucault pendulum at the Houston Museum of Natural Sciences in Houston, Texas, is a typical side-length dudagon of about 4.3 feet and a radius of about 8.3 feet. What's the floor area? Solution: Draw a layout. To apply the formula for the area of a regular polygon, we need to find the apothem and its environment. It has 12 sides. Therefore, the perimeter $= P 12(4.3)P = 51.6$ feetLet us consider the triangle of ΔSAB isosceles in the high dodekagon issab regularly. On the right ΔSBT , we have $BT = 1/2 * BABT = 1/2 * (4.3)BT = 2.15$ In right ΔSBT , we can use the Pythagorean theory to find apothem ST. $ST^2 + BT^2 = BS^2$ Substitute. $ST^2 + (2.15)^2 = 8.32^2$ Subtract $(2.15)^2$. $ST^2 = 8.32^2 - (2.15)^2 = 64.6225$ From each side. $ST = 8.32$ Take square root on each side. $ST = 8$ feetSo, the floor area of the enclosure is $A = 1/2 \cdot \text{apothem} \cdot \text{environment} = 1/2 \cdot 8 \cdot 51.6A = 206.4$ square feet apart from the stuff given above, if you need any other things in math, please use our custom Google search here. If you have any feedback about our mathematical content, please email us: v4formath@gmail.comWe always appreciate your feedback. You can also visit the following web pages on various issues in math. WORD PROBLEMSHCF and LCM word problems word problems in simple equations word problems in linear equations word problems in quadrilaterals word problems Word word problems In trainsArea and the environment word problemsWord problems in direct changes and reverse changes word problems in unit priceWord problems in unit rate word problems compared to the conversion rate of conventional units word problems conversion unit metric word problems in simple interestWord problems in combination problems interestWord in a variety of angles complementary and supplementary angles words problemsdouble word problems word problems customer problems words profit and loss of word problems marking and marking word problems decoding word problems in the word problems Step equation words problems linear inequalities word problemsRatio problems and ratio of word problems Time and work word problems Word problems in collections and problems vennWord chart about agesPythagorean wordPercent theory of a word problemsWord problems on constant speedWord problems on average speed Word problems on sum of the angles of a triangle is 180 degreeOTHERS PROFIT AND LOSS SHORTCUTSPercentage shortcuts time table shortcuts And the distance shortcutsRatio and proportionality shortcutsDomain and a range of logical functions range and range of logical functions by holesGraphing logical functions chart logical functions with hole-back repeating in to fractions representing logical numbers defining square roots using the long divisionL.C.M method to solve the time and problems of moving word problems in to Remainder algebraic expressions when 2 powers are divided 256 on 17Remainder 17 powers of 23 to 16Sum of all three digit numbers divided by 6Sum of all three digit numbers divided by 7Sum of all three digit numbers divided by 8Sum of all three digit numbers formed using 1, 3, 4Sum of all three four-digit numbers composed of all three four-digit numbers composed of all three four-digit numbers using 0 , 1, 2, 3Sum of all three four-digit numbers formed using 1, 2, 5, 6 onlinemath4all.com SB! To continue enjoying the site we ask you to confirm your identity as a human being. Thank you very much for your cooperation. Related Topics: More lessons for mathematical geometry sheeting videos, worksheets, solutions and activities to help geometry students learn how to find the polygon area regularly. The chart below gives the formula to find the area of a regular polygon using the environment and apothem. Scroll down the page for examples and more solutions. The area of the resulting polygons isosceles if the radius is drawn from the center of a polygon resulting in the mane. Using apothem as height and polygon side as base, the area of each triangle can be calculated and summed up. Therefore, regular polygons have an area equal to the number of triangles formed by radius equal to their height: (lateral length) (apothem length) (number of sides)/2. This lesson gives an accurate view of regular polygons. In addition The conditions associated with regular polygons are a few examples of the area in question. Find the regular polygon area this video shows you how to use formulas to find the area of each regular polygon. The area of a polygon - The area of a hexagonal student learns the formula for the area of a regular polygon, as well as definitions of center, radius, central angle, and apothem of a regular polygon. Students are then asked to solve problems using formulas for the area of a regular polygon. Try free Mathway calculator and the following problem solver to practice various mathematical topics. Try given examples, or type in your problem and check your response with step-by-step descriptions. We welcome your comments, comments and questions about this site or page. Please send your feedback or inquiry through our feedback page. Page.